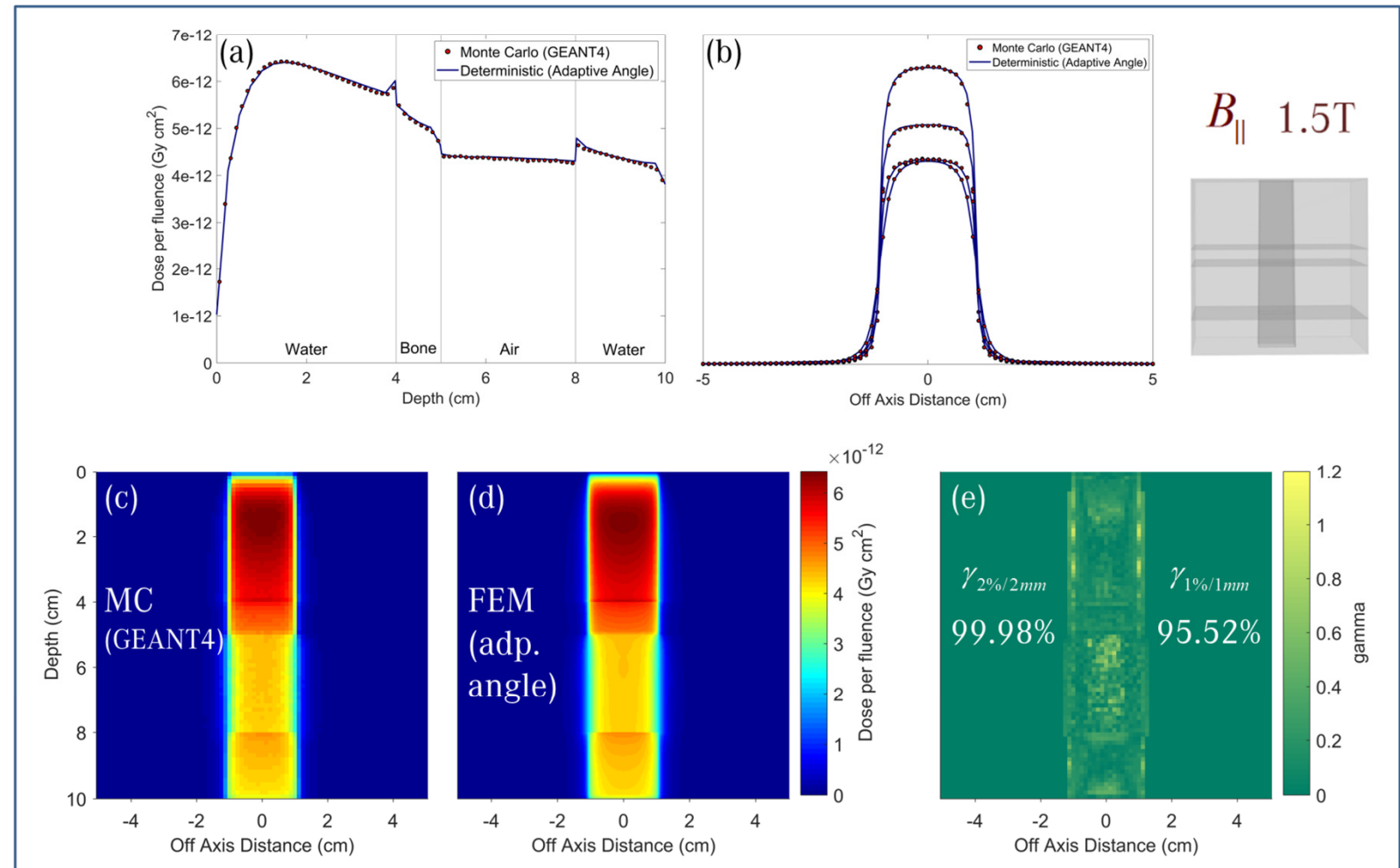
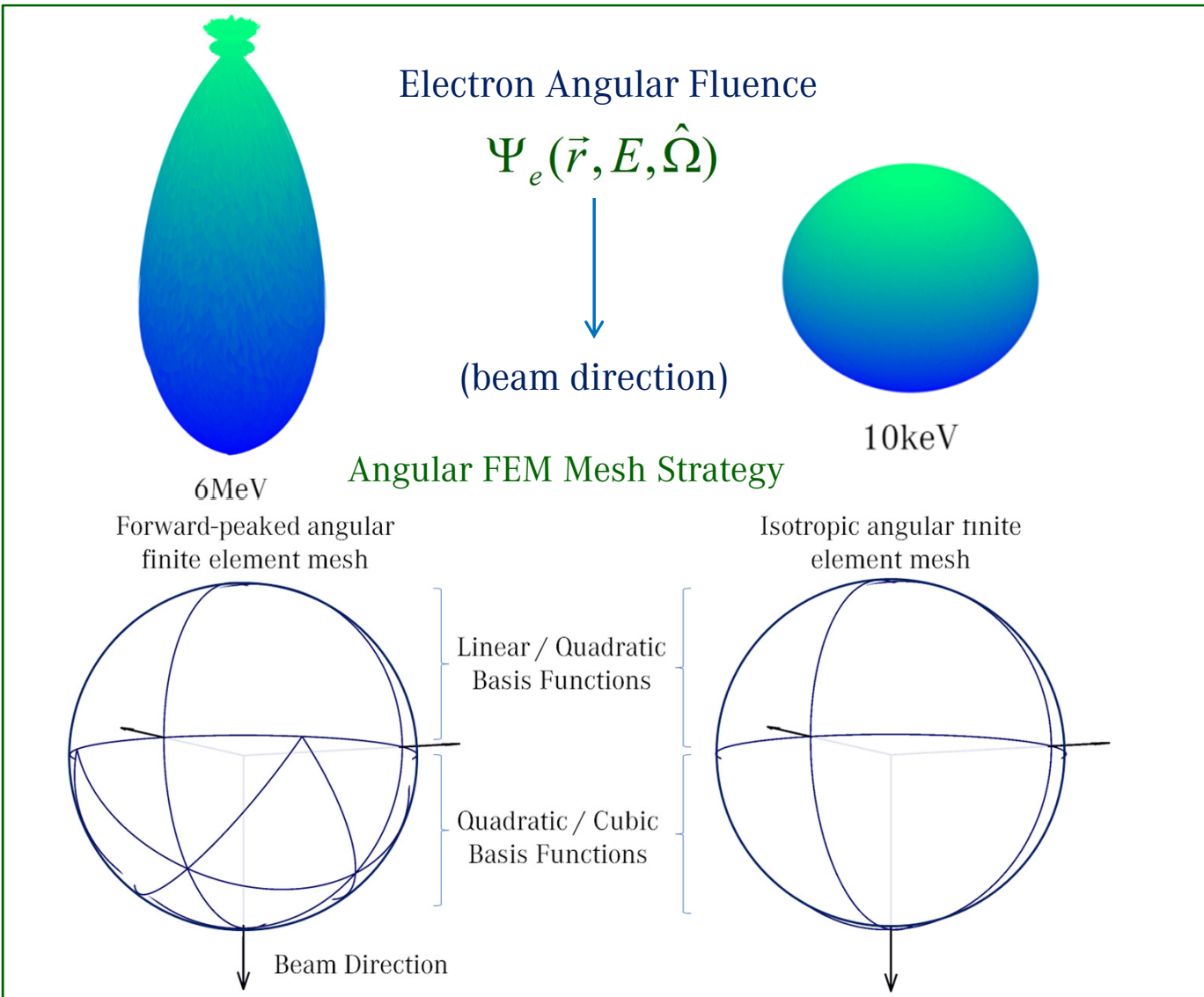


# An Energy-Adaptive Finite Element Angular Discretization Towards a Fast Deterministic Dose Calculation in Magnetic Fields

Linear Boltzmann Transport Equation with Magnetic Fields [St-Aubin *et al*, 2015, 2016]

$$\underbrace{\hat{\Omega} \cdot \vec{\nabla} \Psi(\vec{r}, E, \hat{\Omega})}_{\text{streaming}} + \underbrace{\frac{q_e}{|\vec{p}|} \vec{\tau}(\vec{B}, \hat{\Omega}) \cdot \vec{\nabla}_{\Omega} \Psi(\vec{r}, E, \hat{\Omega})}_{\text{magnetic field}} + \underbrace{\sigma_t(\vec{r}, E) \Psi(\vec{r}, E, \hat{\Omega})}_{\text{removal}} - \underbrace{\frac{\partial}{\partial E} (\beta_r(\vec{r}, E) \Psi(\vec{r}, E, \hat{\Omega}))}_{\text{CSDA operator}} = \underbrace{\int dE' \int d\hat{\Omega}' \sigma_s(\vec{r}, E' \rightarrow E, \hat{\Omega} \cdot \hat{\Omega}') \Psi(\vec{r}, E', \hat{\Omega}')}_{\text{downscatter + inscatter}} + \underbrace{q(\vec{r}, E, \hat{\Omega})}_{\text{source}}$$



Comparing dose distribution obtained by Deterministic code using angular adaptive mesh to Monte Carlo (a) PDD, (b) profiles through each material, (c) coronal slice of Monte Carlo, (d) coronal slice of Deterministic, (e) gamma map